# FAST 3D OPTICAL-PROFILOMETER FOR THE SHAPE-**ACCURACY CONTROL OF PARABOLIC-TROUGH FACETS**



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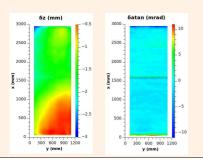


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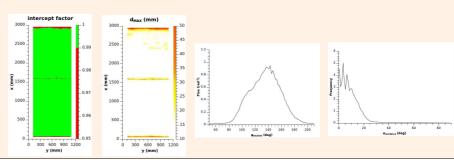
### VISprofile features:

Scope: shape-accuracy verification of parabolic-trough facets in laboratory or industry; that gives the concentration effectiveness of the specimen.

Measures:  $x,y,z \partial z/\partial x$  and  $\partial z/\partial y$ → VISprofile is a profilometer !!!



Evaluates by ray tracing: intercept-factor, dmax of reflected radiation from the focus line, flux and incident angle distribution on receiver surface



# **Experimental setup:** Hamamatsu C8484-05G on the motorized linear guide rail Linear array of point light sources

## Strengths:

- **PROFILOMETER**: not only partial derivatives  $(\partial z/\partial x)$  and  $\partial z/\partial y$  but also z is measured. The same can not claimed by V-SHOT and FRT
- SIMPLICITY: just 3 components (linear array of point light sources, motorized linear guide rail, FireWire camera)
- LOW-COST
- FAST MEASURING & DATA PROCESSING: 3 ms/point
- HIGH ACCURACY: better than 20  $\mu$ rad and 50  $\mu$ m for arctangent of derivatives and z deviation → superior than FRT instruments

## Working:

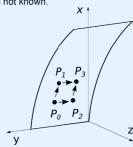
Given S and C, P and the therein normal must fulfill

 $-\overrightarrow{SP}+\overrightarrow{PC}\propto\overrightarrow{n}$ The normal is related to the partial derivatives

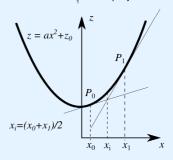
$$\vec{n} \propto (\frac{\partial z}{\partial x}, \frac{\partial z}{\partial y}, -1)$$

The scan consists of grabbing a number of frames varying the camera abscissa, so that during the scan the observed point-source-images span the whole facet-surface, from one linear edge to the opposite

Let  $P_{\alpha}$  be a point of the facet-surface of which z is known. Among its neighbor points, let us consider  $P_1$ ; here  $x_1, y_1$  are evaluated by the image itself, but z1 is not known.



On the other hand, for an ideal parabolic profile, the planes tangent in  $P_0$ and P, are expected to intersect one each other at midway. With this criterion position and derivative in P, are uniquely evaluated



It is reasonable to extend this criterion also along y, so that  $\boldsymbol{z}$  and the partial derivatives can be uniquely evaluated in the neighbor points of P.

The iterative application of this procedure allows to determine the shape of the whole facet-surface.